

Light-Soaking and Open-Circuit Voltages in Solar Cells: Insights into a-Si:H Metastability

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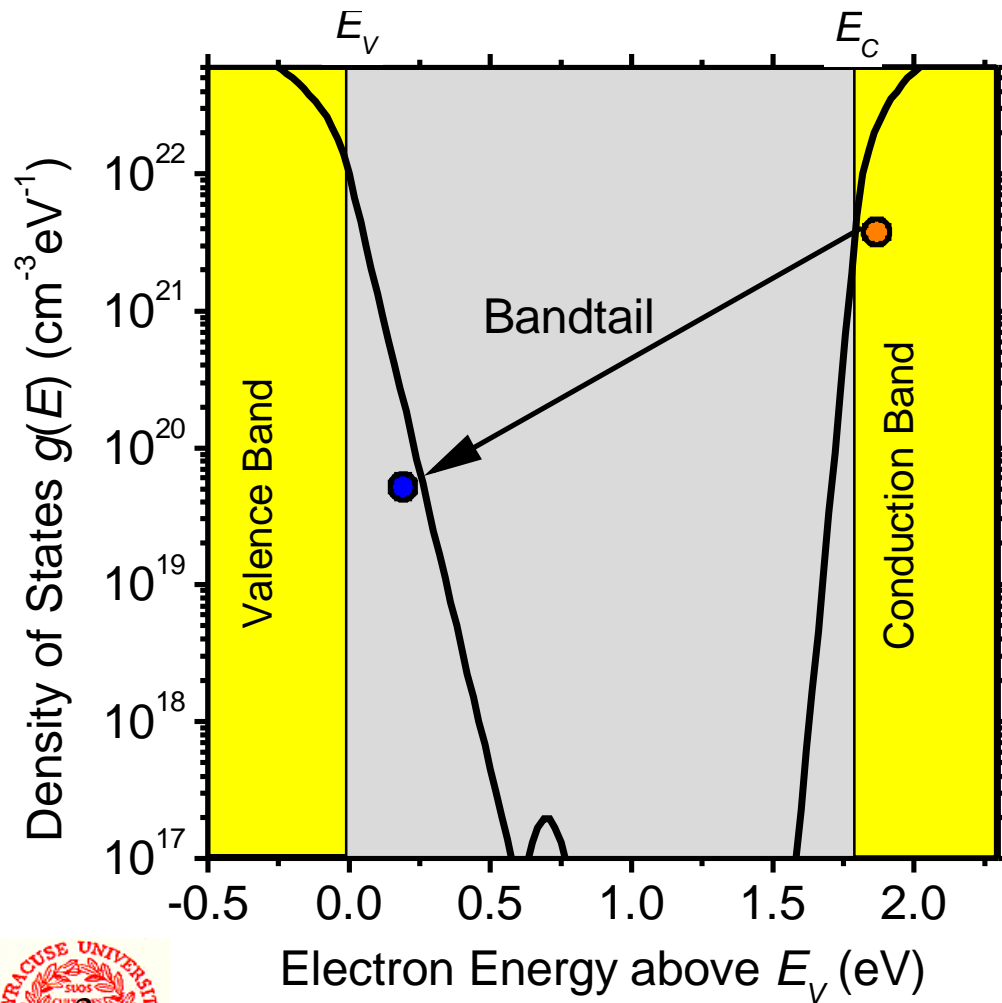
Recombination & the Open-Circuit Voltage of a-Si:H Solar Cells

- a-Si:H cells are low-mobility cells
 - By definition: slow carrier (hole) drift is the primary limitation to power generation in low-mobility cells
 - *Ipso facto*: electron-hole recombination is not the primary limitation to a-Si:H cell efficiency.
- However ... electron-hole recombination is probably the primary source of metastability
 - Understanding recombination is thus – indirectly – of great importance to the cells.
- We address recombination & metastability by studying V_{OC}

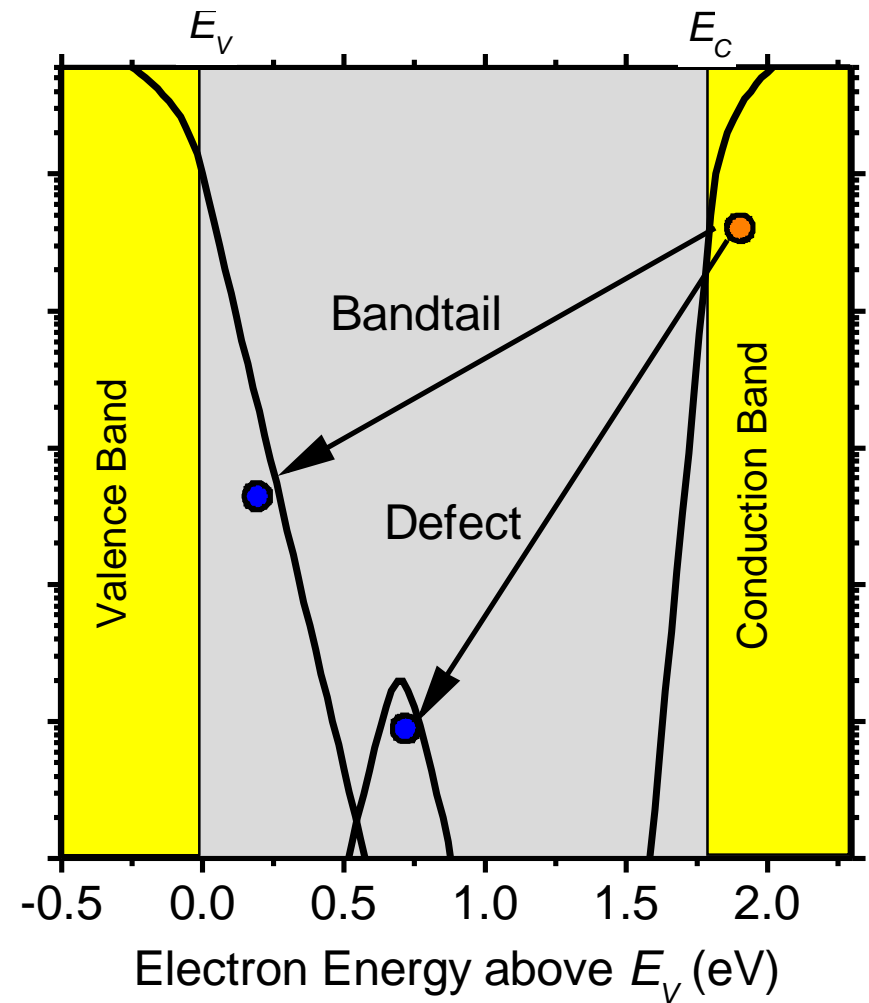


Photocarrier Recombination in a-Si:H Solar Cells

as-deposited

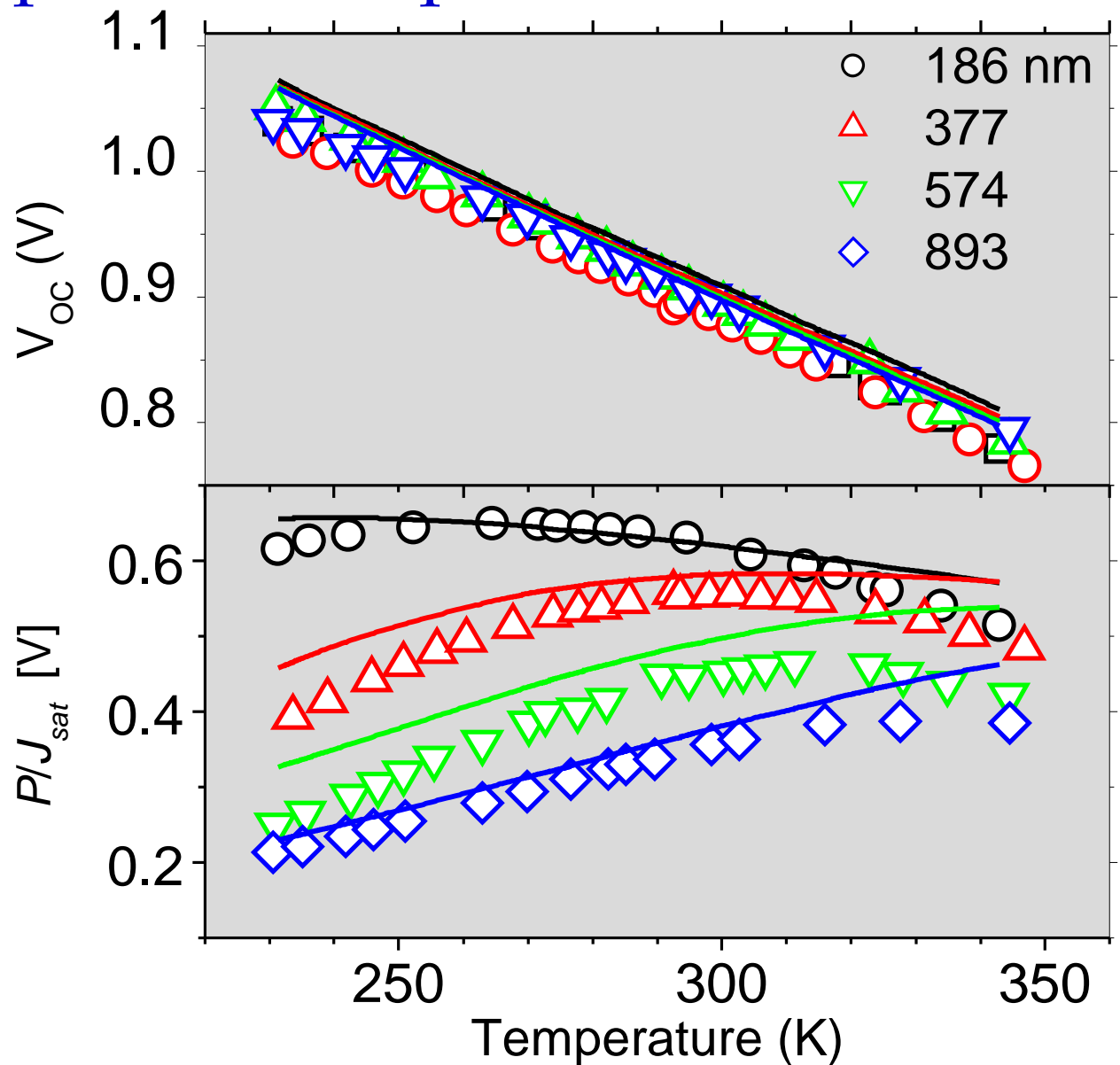


light-soaked



As-deposited Solar Cells (United Solar): Temperature-Dependence

Curves: Bandtail
model

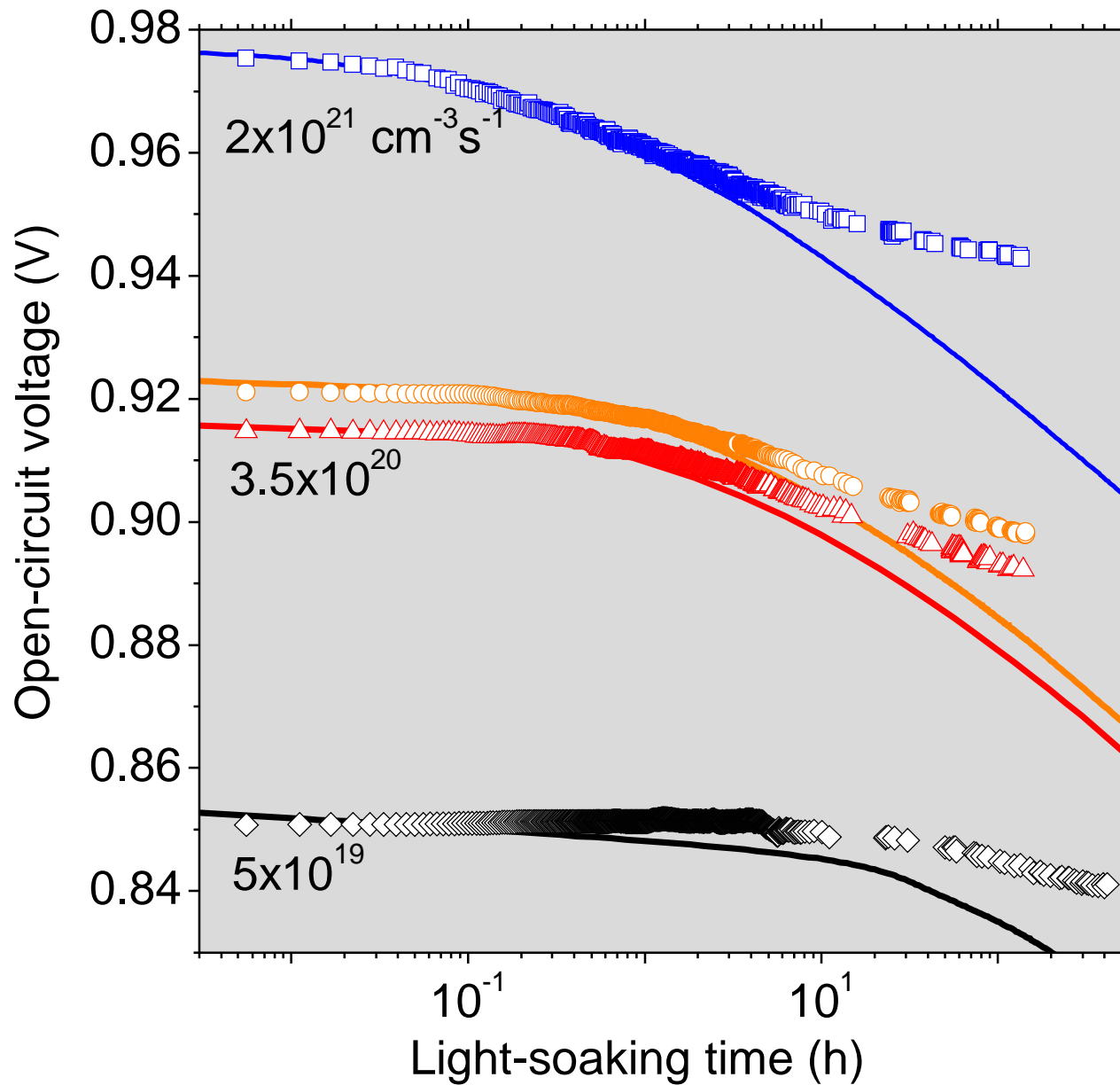


Summary of our Conclusions About United Solar a-Si:H Solar Cells

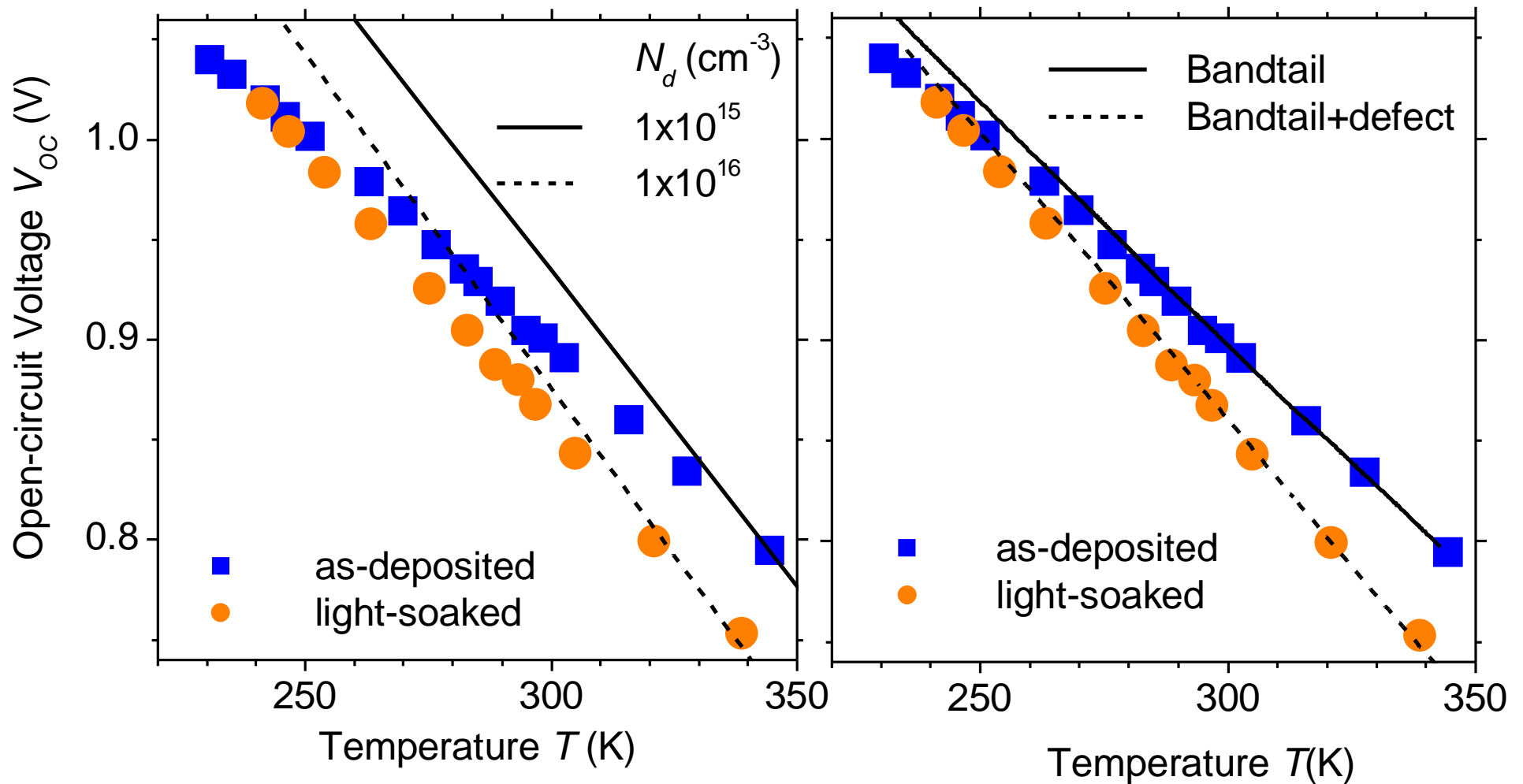
- Photocarrier recombination fits the usual bandtail+defect picture @ solar intensities - but
 - As-deposited: primarily bandtail
 - Light-soaked: bandtail *perturbed* by defects
- Recombination processes probably drive light-soaking. Kinetics (“ $t^{1/3}$ ”) mostly agrees with:
 - Hydrogen-collision
 - Driven by bandtail recombination
- Tail/Defect Crossover between bandtail & defect recombination appears to be on the same timescale as “light-induced annealing.”



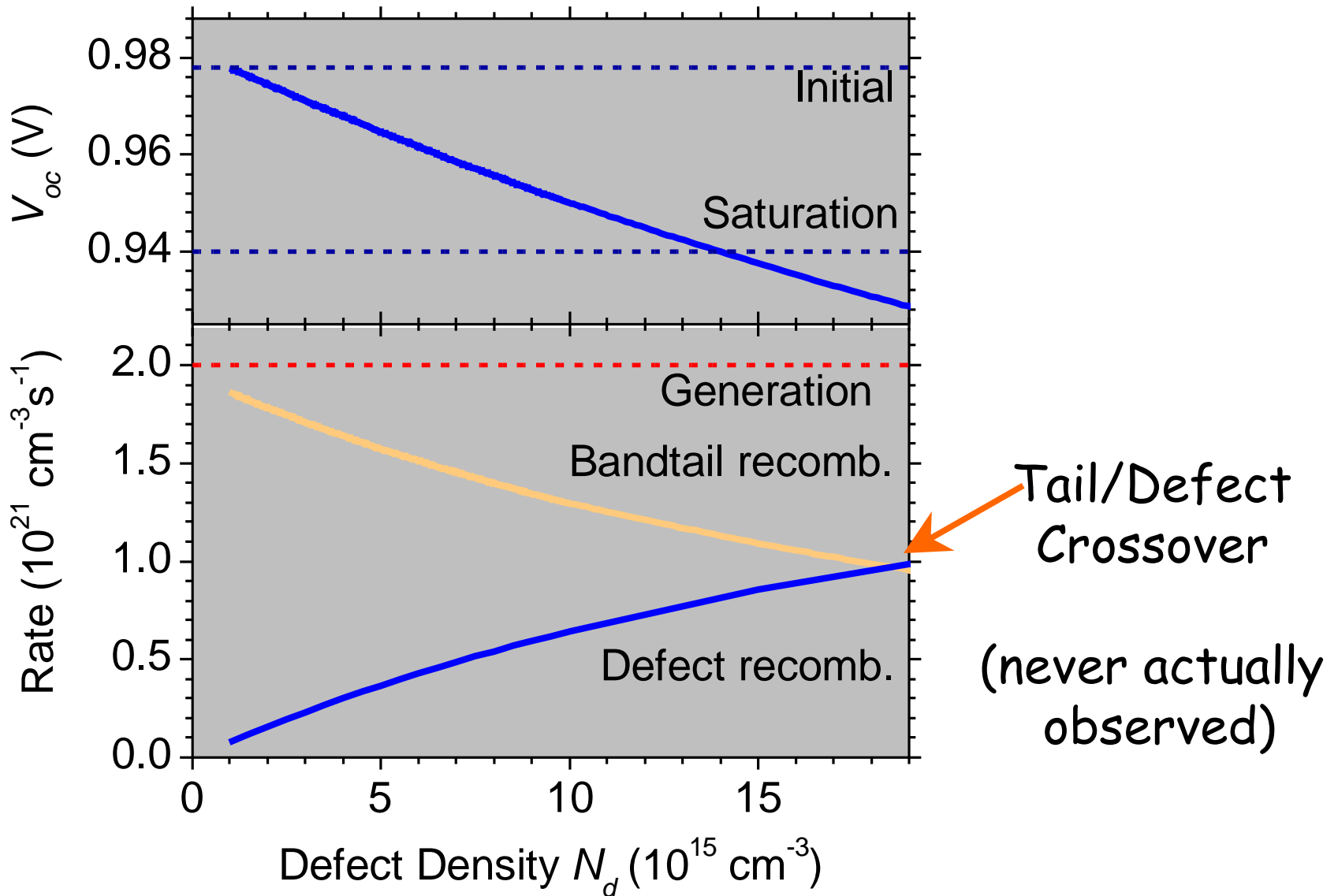
Light-soaking Kinetics of V_{oc}



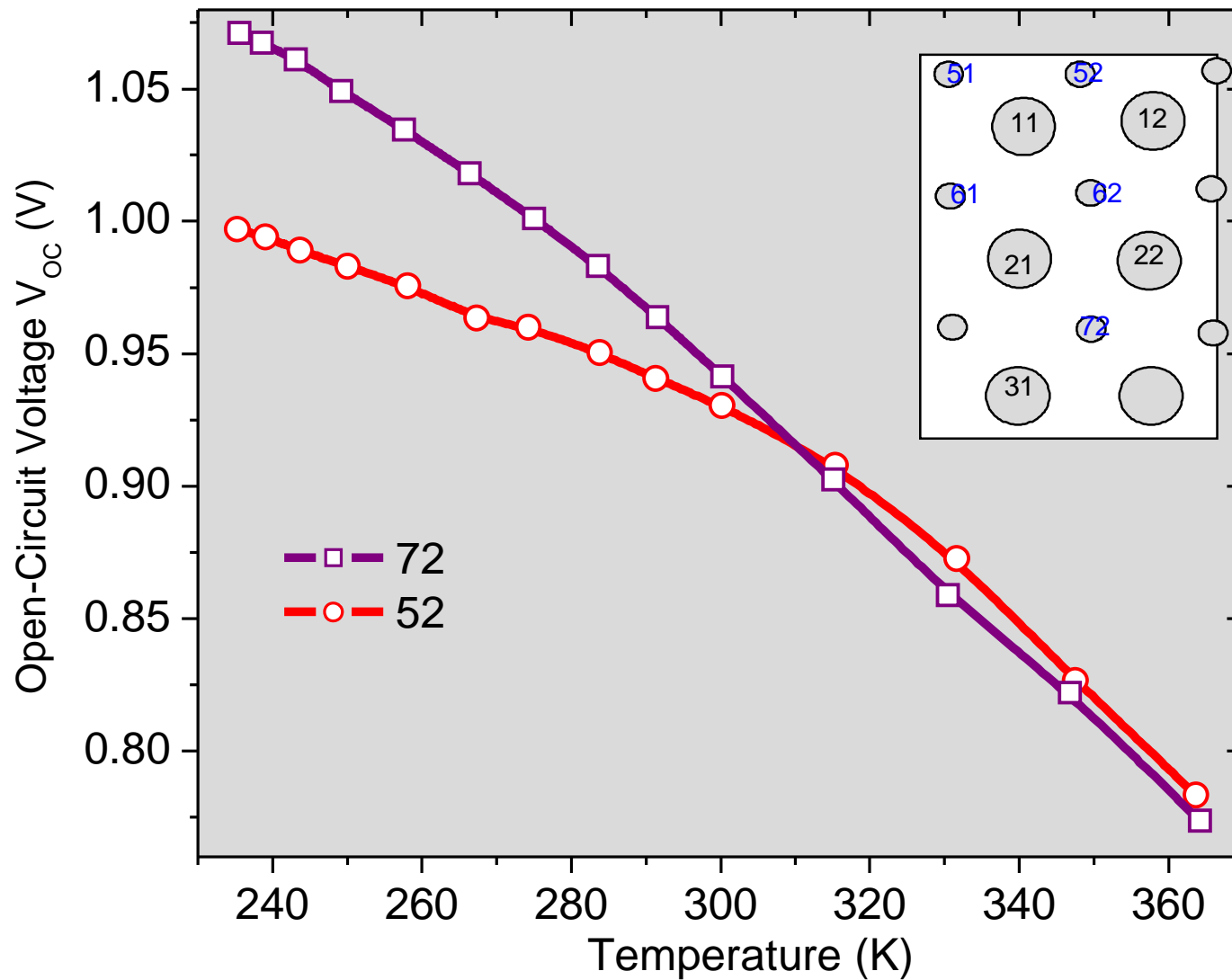
Light-soaking & Temperature Dependence of V_{OC} : Low-temperature Convergence



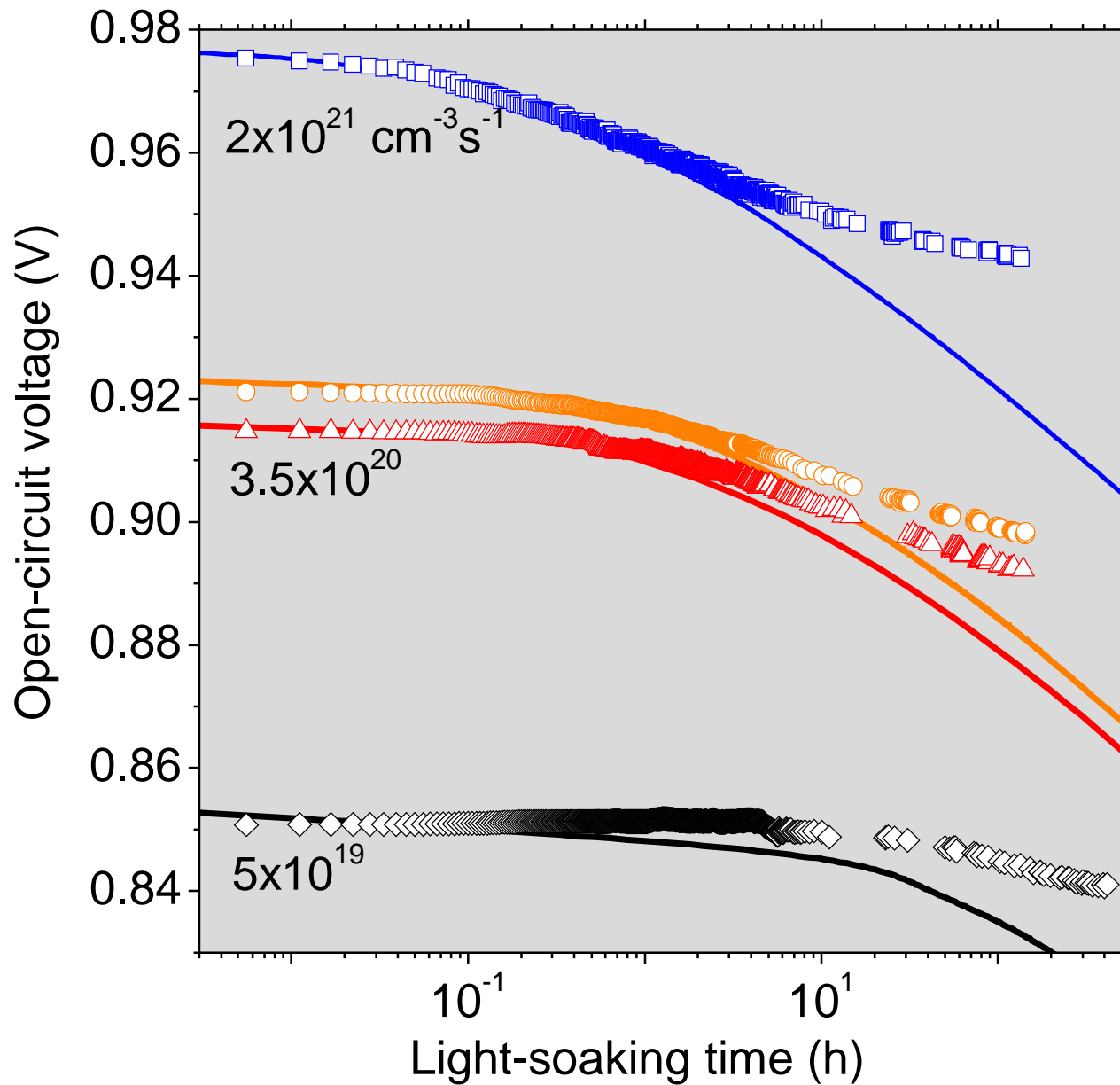
Recombination & Light-Soaking: Predictions of the Bandtail+Defect Model



$V_{OC}(T)$ - edge & middle cells

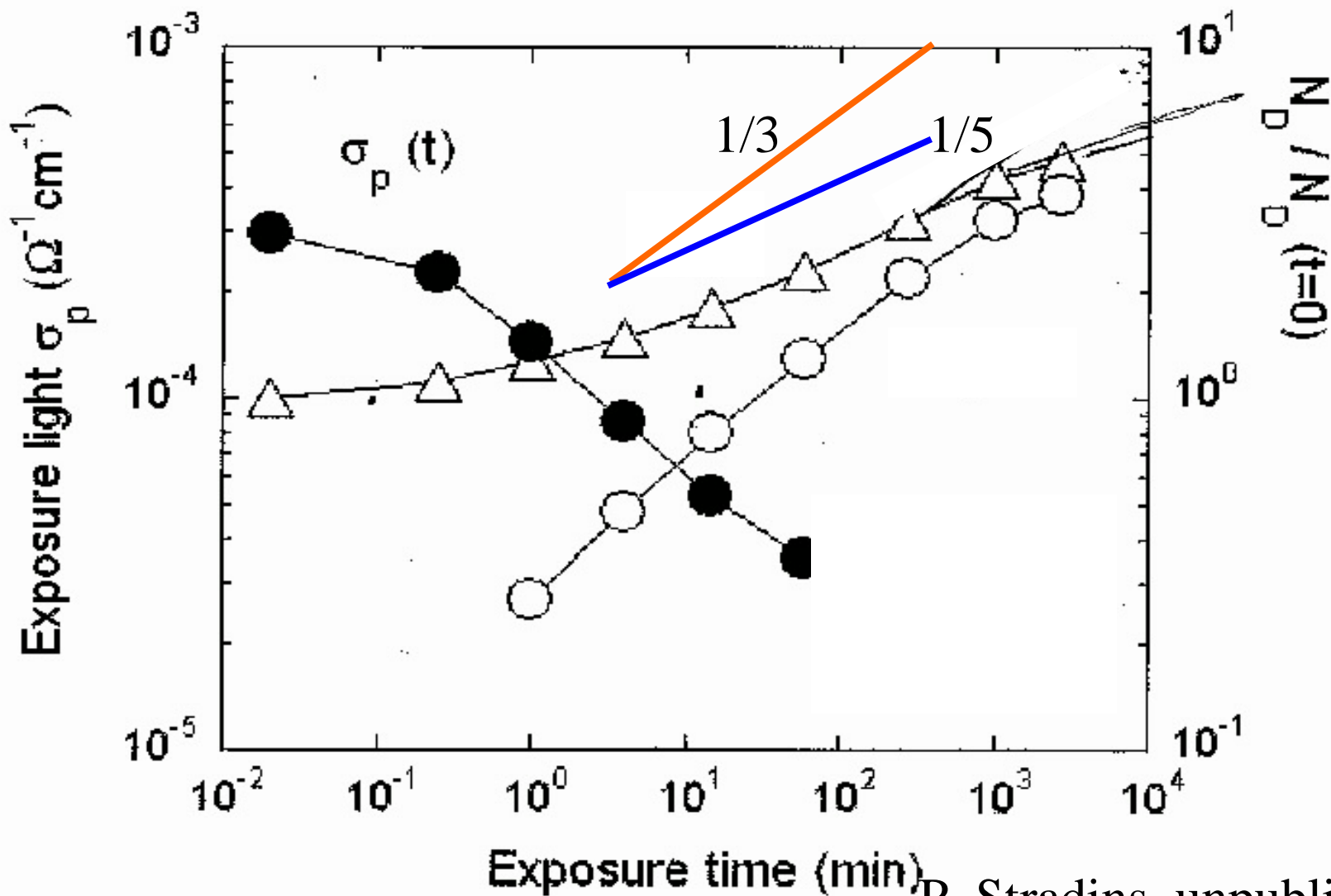


Light-soaking Kinetics of V_{oc}



The Notorious $N_D \approx t^{1/3}$ "Law"

$G_{\text{exp}} = 4 \times 10^{21} \text{ cm}^{-3} \text{ s}^{-1}$; $T_{\text{exp}} = 300 \text{ K}$; intrinsic a-Si:H



P. Stradins, unpublished



SJT Model for “ $t^{1/3}$ ” Kinetics

■ SJT Derivation of $t^{1/3}$

$$\frac{dN_d}{dt} \propto R_{tail}$$

$$R_D \propto G$$

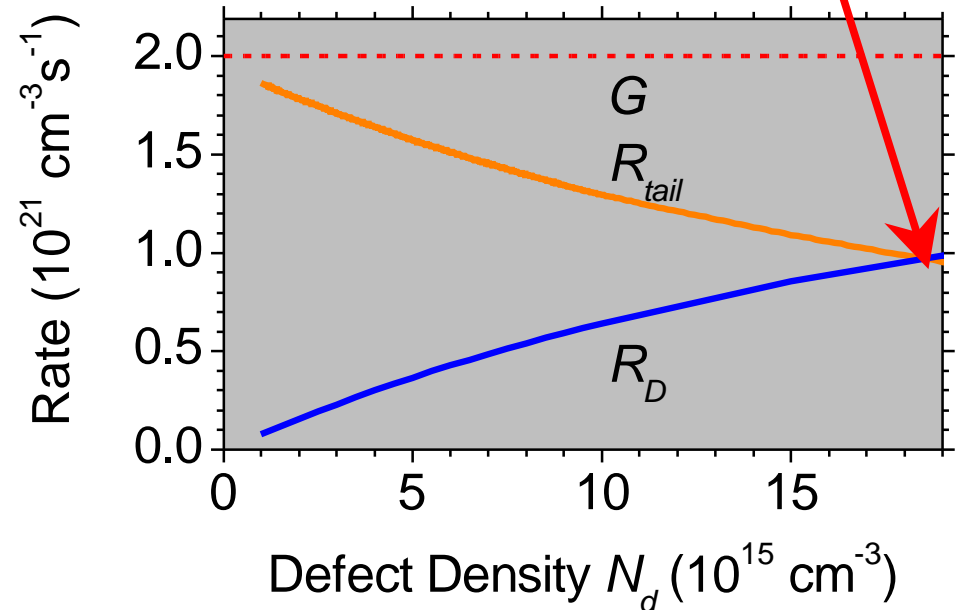
$$R_{tail} \propto N_D^{-2}$$

$$N_D^3(t) = N_{D,0}^3 + C_{SW}^3 G^2 t$$

■ Problems with SJT model

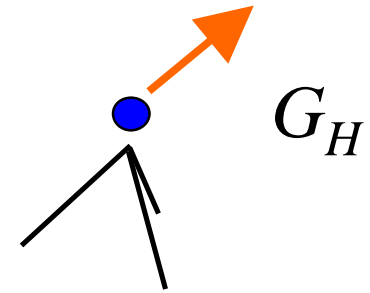
- Low-temp. degradation
- Degradation by pulsed light in films
- (present) V_{OC} studies in films

Tail/defect
crossover

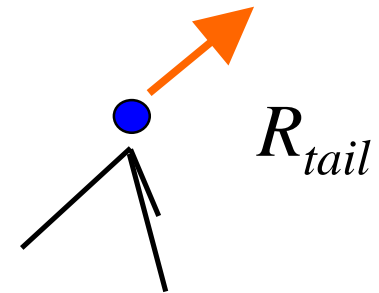


Hydrogen-Collision Models for “ $t^{1/3}$ ” Kinetics

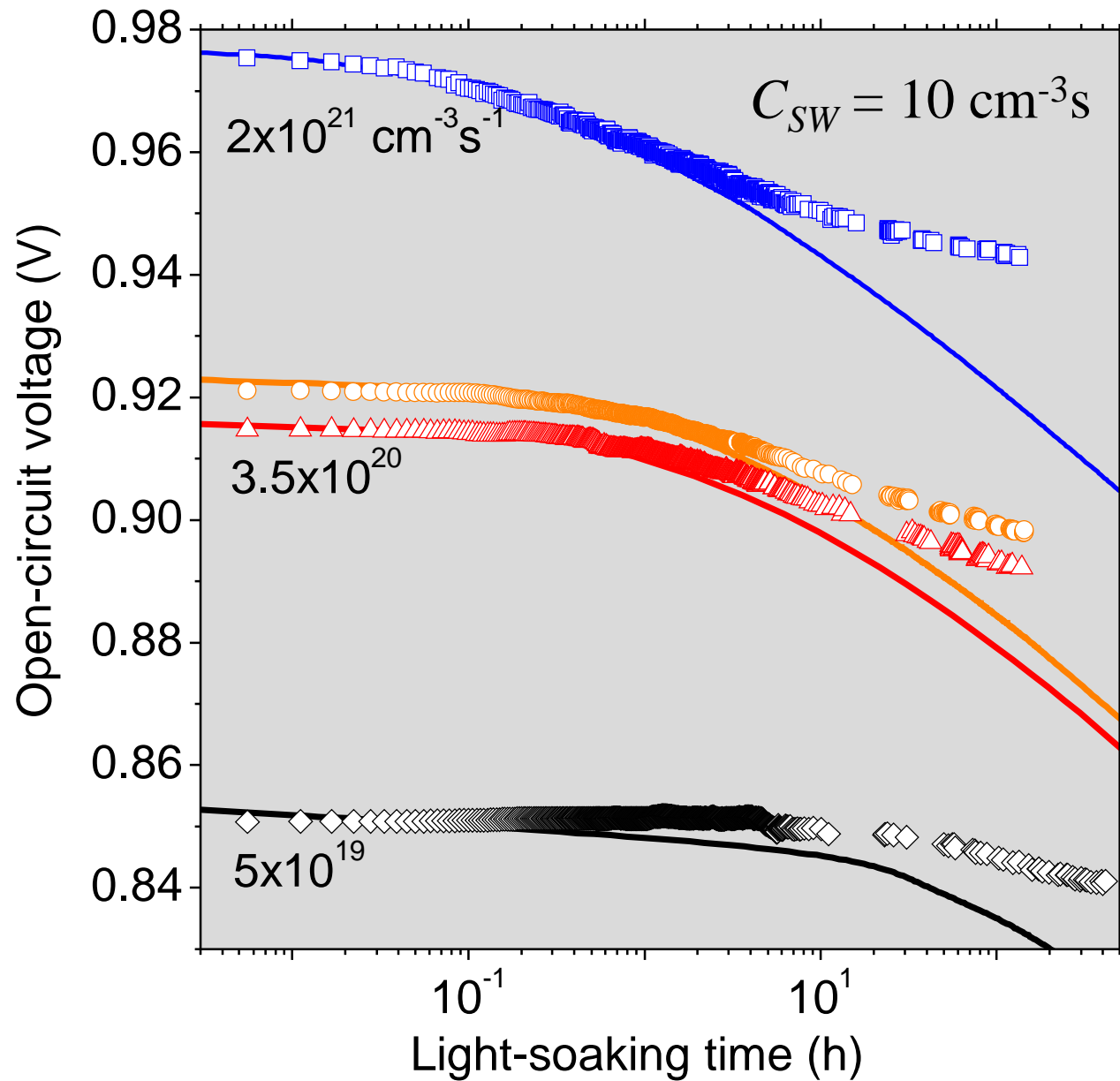
H-collision $\frac{dN_d}{dt} \propto H_m^2 = C_{SW} \left(\frac{G_H}{N_d} \right)^2$



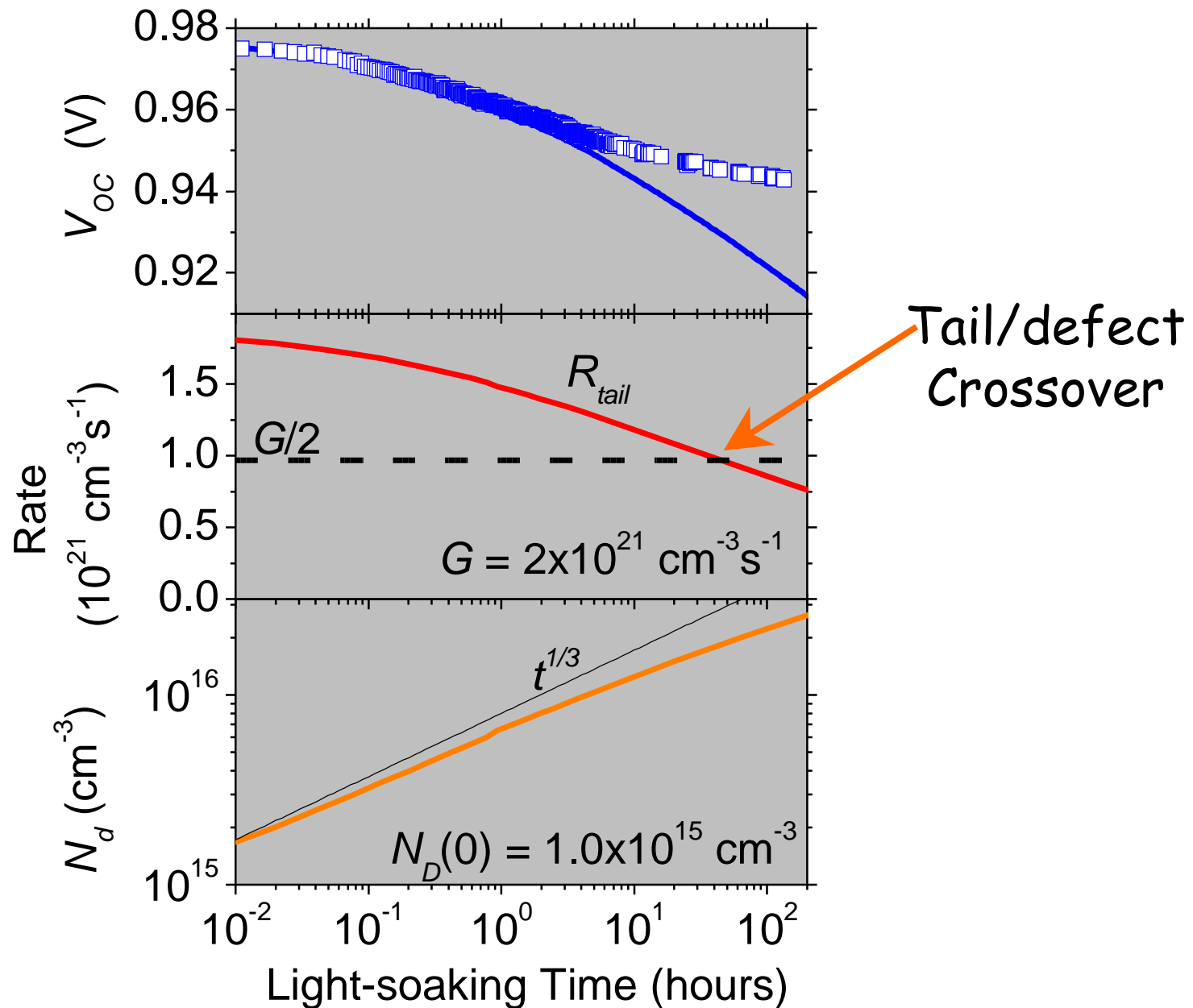
H-collision
(modified) $\frac{dN_d}{dt} \propto H_m^2 = C_{SW} \left(\frac{R_{tail}}{N_d} \right)^2$



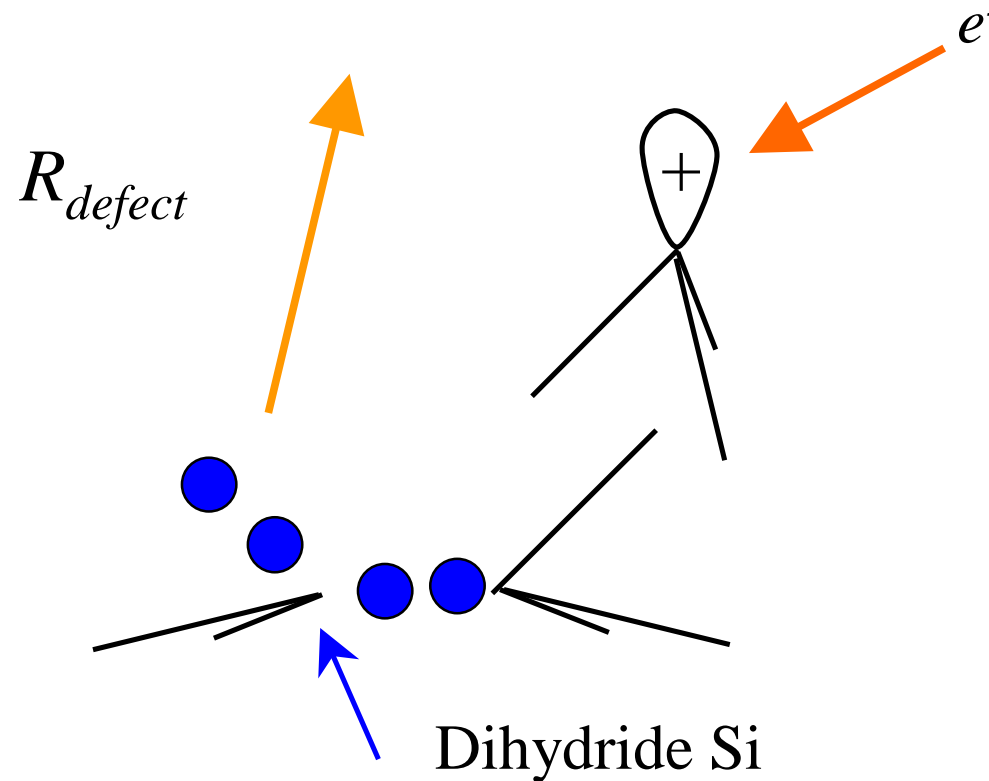
H-collision Predictions for $V_{OC}(t)$



V_{OC} Decline & Recombination Crossover



Why are recombination crossover & light-induced annealing at the same timescale?



Future Device Physics Pathways

- a-Si tail/defect crossover & self-limitation of metastability
 - Suggests universal aspect of metastability that transcends detailed defect reactions and detailed photocarrier processes
- a-SiGe cells more critical (triple j. technology).
 - Probable that cells are low-mobility type, but little is known about the hole mobilities.
 - Self-limitation of metastability? Much less known about kinetics than for a-Si.
- Speculation
 - Better cells will come from better hole drift.



Summary of our Conclusions About United Solar a-Si:H Solar Cells

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$t^{1/3}$ & $t^{1/5}$ laws

$$\frac{dN_D}{dt} = C_{SW} \frac{R_{tail}^2}{N_D^2} \quad \text{Modified H-collision equation}$$

Early times	$R_{tail} = G :$	$N_D \propto t^{1/3}$	$\Delta V_{OC} < (k_B T / e)$
Long times	$R_{tail} \propto 1/N_D :$	$N_D \propto t^{1/5}$	$\Delta V_{OC} = -(k_B T / e) \ln(t^{1/5})$